

5-2 Prime Factorization

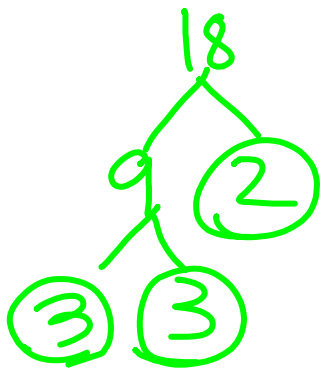
prime - # that has EXACTLY 2 factors (and itself)
0 + 1 are "special" - belong to "property" group

factor - # that divides evenly into a whole #
(or the #s in a mult. problem)

$$\begin{array}{c} 5 \times 6 = 30 \\ \swarrow \quad \searrow \\ \text{factors} \end{array} \quad \downarrow \text{product}$$

prime factorization - expresses a # as a
product of its prime factors

In elem. school: used factortree



$$2 \times 3 \times 3$$

Middle/High school: use bobsled

Think: 2, 3, 5, 7, 11, 13... ←

To bobsled:

1st → Find smallest prime # that goes evenly

2nd → ÷ write quotient (answer) below

3rd → start over (step 1) until the bottom # is PRIME

4th → write answer using #s on left & bottom as a product
MUST be LEAST to GREATEST

$$\begin{array}{r} 2 \overline{)18} \\ 3 \overline{)9} \\ 3 \end{array}$$

$$\boxed{2 \cdot 3 \cdot 3}$$

Ex 1)

$$\begin{array}{r}
 2 \overline{) 36} \\
 \underline{2 0} \\
 18 \\
 3 \overline{) 18} \\
 \underline{3 0} \\
 6 \\
 3 \overline{) 6} \\
 \underline{3 } \\
 3
 \end{array}$$

$$2 \cdot 2 \cdot 3 \cdot 3$$

Think: 2, 3, 5, 7, 11, 13...

$$\begin{array}{r}
 18 \\
 2 \overline{) 36} \\
 \underline{-2 0} \\
 16 \\
 \underline{-16} \\
 0
 \end{array}$$

$$\begin{array}{r}
 2 \overline{) 36} \\
 \underline{3 0} \\
 18 \\
 3 \overline{) 18} \\
 \underline{3 0} \\
 6 \\
 3 \overline{) 6} \\
 \underline{2 } \\
 2
 \end{array}$$

This is OK

$$2 \cdot 3 \cdot 3 \cdot 2$$

This is wrong
not L → G

MUST write as
 $2 \cdot 2 \cdot 3 \cdot 3$

2) 27

3) 17

prime

$$\begin{array}{r} 3 \overline{) 27} \\ \underline{3 } \\ 9 \\ \underline{9} \\ 0 \end{array}$$

3

$3 \cdot 3 \cdot 3$

1 · 17 wrong
↑
not prime

4) 112

$$\begin{array}{r} 2 \overline{) 112} \\ \underline{2} \\ 56 \\ \underline{2} \\ 28 \\ \underline{2} \\ 14 \\ \underline{2} \\ 7 \end{array}$$

$2 \cdot 2 \cdot 2 \cdot 7$